## Types of Statistical Inference

Single categorical variable One-proportion z-interval and test (Chapters 19-21)

Single quantitative variable One sample t-interval and test (Chapter 23)

Two quantitative variables Regression inference (Chapter 27) Two categorical variables

Two categories each: Two proportion z-interval and test (Chapter 22)

> More than two categories each: Chi-square tests (Chapter 26)

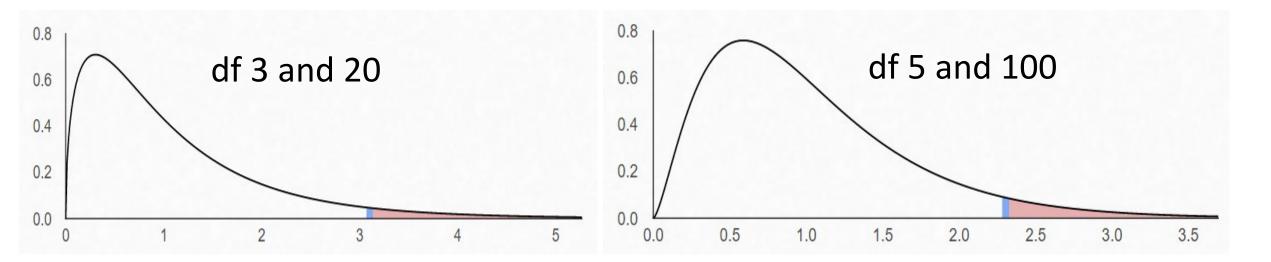
One categorical, one quantitative variable

Two categories: 2-sample t-interval and test (Chapter 24) Paired t-interval and test (Chapter 25)

> More than two categories: ANOVA test (Chapter 28)

## ANOVA (Analysis Of Variance) test

- Uses the F (Fisher) distributions
- Since the distribution is right-skewed, there's no confidence interval, only a one-sided hypothesis test.
- Two degrees of freedom, the numerator df and denominator df



## ANOVA test

- 1.  $H_0$ : Means are the same between groups  $H_A$ : Means are different between groups
- 2. Find the *F*-score of the sample.
- 3. Convert the *F*-score to a *P*-value.
- 4. Compare the *P*-value to  $\alpha$ =.05.
- Reject the null hypothesis if the *P*-value is less than α. Report the *P*-value of the test.

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The error mean square  $MS_E$  is the variance within categories The treatment mean square  $MS_T$  is the variance between categories If the null hypothesis is true,  $MS_T = MS_E$ . If the null hypothesis is false,  $MS_T > MS_E$ 

$$\mathbf{F} = \frac{MS_T}{MS_E}$$



numerator df =  $num.of\ categories\ -\ 1$ denominator  $df = num.of\ cases\$  $num.of\ categories$